

⇒ valuation of option

1) Theoretical price

$$= \frac{\text{Expected Payoff}}{1 + r_{f,t}}$$

$$\text{Call} \Rightarrow \text{Payoff} = \text{Spot Price} - \text{Strike Price} = SP - X$$

$$\text{Put} \Rightarrow \text{Payoff} = \text{Strike Price} - \text{Spot Price} = X - SP$$

$$\text{Net Payoff} = \text{Payoff} - \text{Premium}$$

2) Binomial model :- Single

$$\text{Probability of H.P} = \frac{SP(1+r_{f,t}) - LP}{HP - LP}$$

$$\text{Probability of L.P} = 1 - \text{H.P}$$

$$\text{Value of Call option} = \frac{\text{Probability of H.P} \times \text{Payoff} + \text{Probability of L.P} \times \text{Payoff}}{1 + r_{f,t}}$$

Double

$$\text{Probability of H.P} = \frac{R - d}{u - d}$$

$$\text{Probability of L.P} = 1 - \text{H.P}$$

$$\begin{cases} R = 1 + r_{f,t} \\ d = 1 - \downarrow \text{decreasing value} \\ u = 1 + \uparrow \text{increasing value} \end{cases}$$

If increase in prices / decrease in prices given in numbers to calculate probabilities use formulas, if given in percentage use formulas.

3) Put call parity theory :- All are equal (date, spot, strike)

$$V_C = SP - X$$

$$V_P = X - SP$$

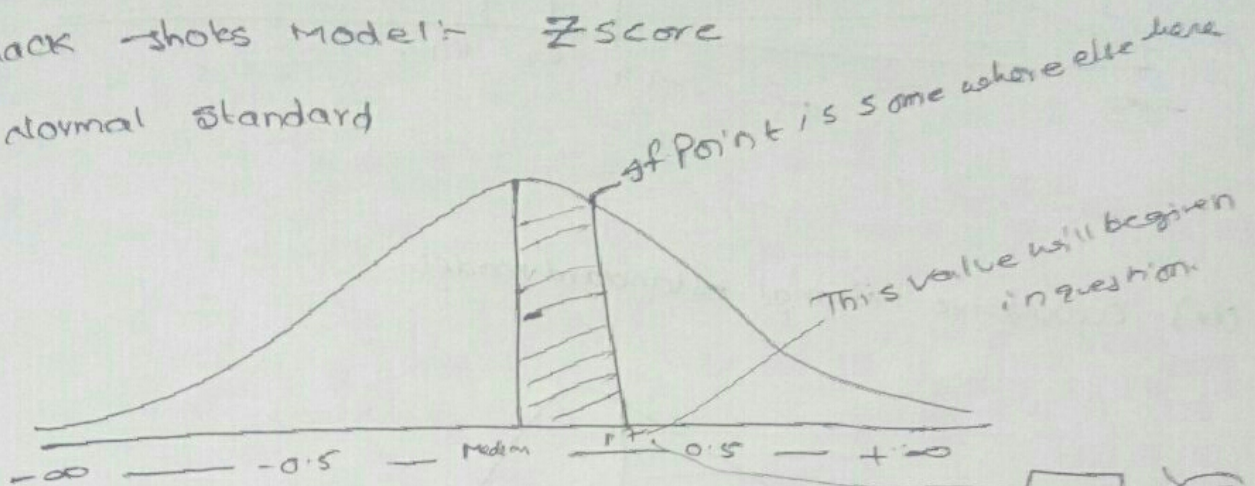
$$V_C + X = SP + V_P$$

All values will be given but we need to ignore one value and that value.

See on billage & invest.

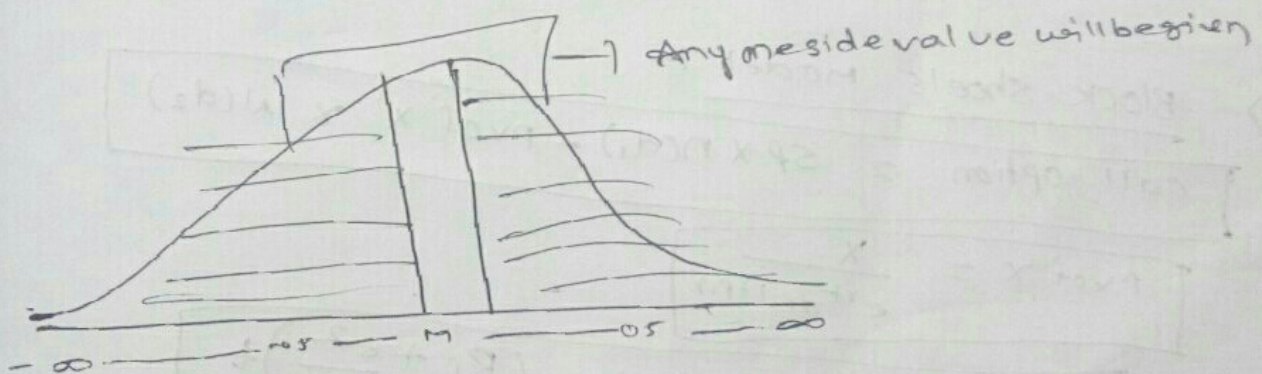
4) Black - Scholes Model :- Z score

(i) normal standard



if in question they give normal standard means $+0.5$ to $+1.7$
 $d_1 = 1.7(\text{xxx}) + 0.5$

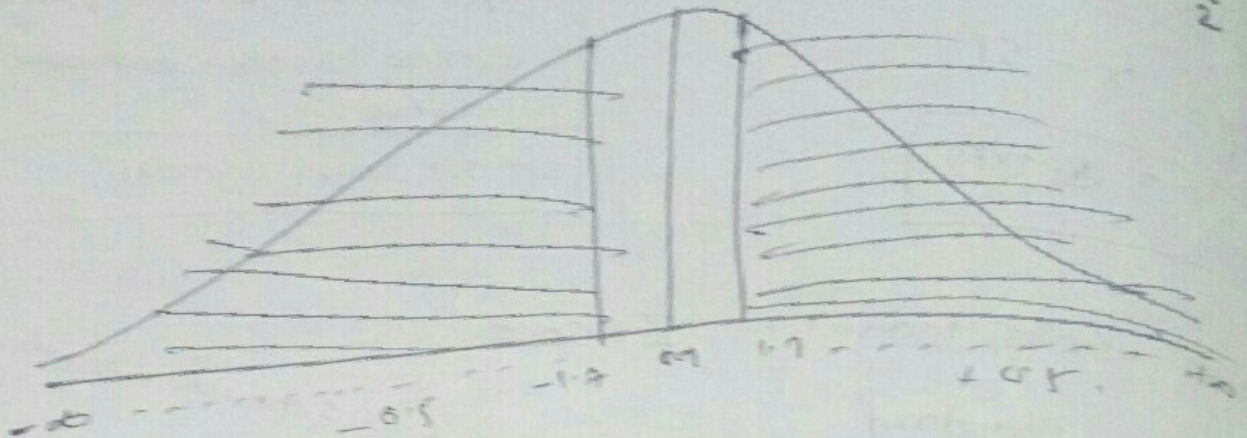
(ii) one tail method :- only ^{any} one side value will be given



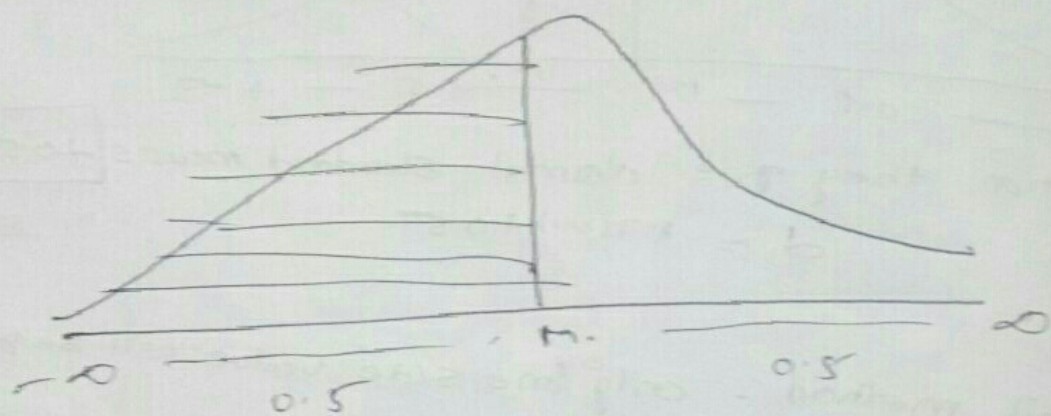
a) if given in -ve (negative) side then
 value of $d_1 = \text{Given value}$

b) if +ve (positive) side given then
 value of $d_1 = 1 - \text{xxx}(\text{given value})$

(iii) Two tail $\div$ Two sides value will be given then
 $d_1 = 1 - \frac{\alpha}{2}$



(iv) Cumulative Normal standard model.



$\Rightarrow$ Block shoels Model :-

$$\text{call option} = SP \times N(d_1) - \text{pv of } X' \times N(d_2)$$

$$\text{pv of } X = \frac{X}{e^{rt} \text{ or } 1 + r \times t}$$

$$d_1 = \frac{\ln\left(\frac{SP}{X}\right) + \left(R_f + \frac{\sigma^2}{2}\right)t}{\sigma\sqrt{t}}$$

$$d_2 = d_1 - \sigma\sqrt{t}$$

$$\text{put option} = [\text{pv of } X' \times N(-d_2)] - [SP \times N(-d_1)]$$

$$N(-d_1) = 1 - N(d_1) \text{ \& \; } N(-d_2) = 1 - N(d_2)$$

Hedge ratio to minimize the variance of Hedge position.

$$H = \rho \frac{\sigma_S}{\sigma_F}$$

H = hedge ratio, $\sigma_S = S \cdot \sigma_{\Delta S}$, $\sigma_F = S \cdot \sigma_{\Delta F}$.
 ρ = coefficient correlation of ΔS & ΔF .

$\Rightarrow$ Beta for Portfolio of shares = $\frac{\text{change in value of portfolio of share}}{\text{change in value of market portfolio}}$

$\Rightarrow$ formula for calculating forward price

$$A = P \left(1 + \frac{r}{n}\right)^{nt}$$

A = forward price

P = spot price

r = rate of interest

n = no. of compoundings

t = time.