

## Gurukripa's Guideline Answers to May 2013 Final Exam Advanced Management Accounting

Question No.1 is compulsory (4 × 5 = 20 Marks).

Answer any 5 questions from the remaining 6 questions (16 × 5 = 80 Marks). [Any 4 out of 5 in Q.7]

### 1(a): Relevant Cost Analysis – Basic Decision Making

M 13 (5 Marks)

A Process Industry Unit manufactures three Joint Products, A, B and C. C has no realizable value unless it undergoes further processing after the point of separation. The cost details of C are as follows –

| Particulars               | Per Unit  |
|---------------------------|-----------|
| Upto point of separation  |           |
| Marginal Cost             | 30        |
| Fixed Cost                | 20        |
| After point of separation |           |
| Marginal Cost             | 15        |
| Fixed Cost                | 5         |
| <b>Total Cost</b>         | <b>70</b> |

C can be sold at ₹ 37 per unit and no more.

- Would you recommend production of C?
- Would your recommendation be different if A, B and C are not Joint Products?

**Solution:**

**Case 1: If C is a Joint Product** – Net Benefit if C is processed and sold (37 – 15) = ₹ 22

**Conclusion:** Hence, Production of C can be recommended.

**Note:**

- Cost upto the point of separation is sunk / irrelevant, if C is a Joint Product.
- Fixed Cost p.u after separation, being apportioned, is irrelevant.

**Case 2: If C is not a Joint Product (i.e. Separate Product)** – Net Benefit or (Loss) (37 – 30 – 15) = Loss ₹ 8

**Conclusion:** Hence, Production of C is not worthwhile.

**Note:** Fixed Cost p.u (before and after separation), being apportionment, is irrelevant.

### 1(b): Pricing Decision – Price Reduction to increase Sales Quantity

M 13 (5 Marks)

HTM Ltd by using 12,00,000 units of a Material M produces jointly 2,00,000 units of H and 4,00,000 units of T. The Costs and Sales details are –

| Particulars                       | Amount    |
|-----------------------------------|-----------|
| Direct Material M at ₹ 5 per unit | 60,00,000 |
| Other Variable Costs              | 42,00,000 |
| Total Fixed Costs                 | 18,00,000 |
| Selling Price of H per unit       | 25        |
| Selling Price of T per unit       | 20        |

The Company receives an additional order for 40,000 units of T at the rate of ₹ 15 per unit. If this order has been accepted, the existing Price of T will not be affected. However, the present Price of H should be reduced evenly on the entire Sale of H to market the additional units to be produced. Find the Minimum Average Unit Price to be charged on H to sustain the increased Sales.

**Solution:**

Similar to Page 3.15, Illustration 3 (N 99)

#### 1. Computation of Additional Raw Material required

| Particulars               | Raw Material M              | Product H                 | Product T            |
|---------------------------|-----------------------------|---------------------------|----------------------|
| Given relationship        | 12,00,000 units             | 2,00,000 units            | 4,00,000 units       |
| To produce extra qty of T | (pro-rata) 1,20,000 units ← | (pro-rata) 20,000 units ← | (Given) 40,000 units |

**2. Computation of Revised Selling Price of H**

|                                                                                             |                         |
|---------------------------------------------------------------------------------------------|-------------------------|
| (a) Additional Raw Material Costs = 1,20,000 units × ₹ 5                                    | ₹ 6,00,000              |
| (b) Additional Variable Processing Costs = 1,20,000 units × (₹ 42,00,000 ÷ 12,00,000 units) | ₹ 4,20,000              |
| (c) Total Additional Costs (a + b)                                                          | ₹ 10,20,000             |
| (d) Additional Sale Revenue obtained from Product T = 40,000 units × ₹ 15                   | ₹ 6,00,000              |
| (e) Net Recovery required from Product H (c – d) For 20,000 units                           | ₹ 4,20,000              |
| (f) Present Sale Revenue from Product H = 2,00,000 units × ₹ 25 per unit For 2,00,000 units | ₹ 50,00,000             |
| (g) Total Desired Sale Revenue from 2,20,000 units of Product H (e + f) For 2,20,000 units  | ₹ 54,20,000             |
| (h) Desired Selling Price per kg of Product H = ₹ 54,20,000 ÷ 2,20,000 units                | <b>₹ 24.64 per unit</b> |

**1(c): Assignment – Steps (Theory)****M 13 (5 Marks)**

Prescribe the steps to be followed to solve an assignment problem.

**Solution:** Refer Page 16.1, Q.No. 1, Point 4**1(d): Marginal Costing – Indifference Point Interpretation and Decision Making****M 13 (5 Marks)**

X Ltd wants to replace one of its old Machines. Three alternative Machines namely M<sub>1</sub>, M<sub>2</sub> and M<sub>3</sub> are under its consideration. The Costs associated with these Machines are –

| Particulars               | M <sub>1</sub> | M <sub>2</sub> | M <sub>3</sub> |
|---------------------------|----------------|----------------|----------------|
| Direct Material Cost p.u. | 50             | 100            | 150            |
| Direct Labour Cost p.u.   | 40             | 70             | 200            |
| Variable Overhead p.u.    | 10             | 30             | 50             |
| Fixed Cost p.a.           | 2,50,000       | 1,50,000       | 70,000         |

You are required to compute the Cost Indifference Points for these alternatives. Based on these points suggest a most economical alternative Machine to replace the old one when the expected level of Annual Production is 1,200 units.

**Solution:** Similar to Page 2.30, Illustration 2.1 (N 00, M 02)

| Particulars               | M <sub>1</sub> | M <sub>2</sub> | M <sub>3</sub> |
|---------------------------|----------------|----------------|----------------|
| Fixed Costs               | ₹ 2,50,000     | ₹ 1,50,000     | ₹ 70,000       |
| Variable Costs per report | ₹ 100          | ₹ 200          | ₹ 400          |

Indifference Point =  $\frac{\text{Difference in Fixed Costs}}{\text{Difference in Variable Cost per Unit}}$ , Between M<sub>1</sub> and M<sub>2</sub> =  $\frac{₹ 2,50,000 - ₹ 1,50,000}{₹ 200 - ₹ 100} = 1,000 \text{ units.}$

Between M<sub>2</sub> and M<sub>3</sub> =  $\frac{₹ 1,50,000 - ₹ 70,000}{₹ 400 - ₹ 200} = 400 \text{ units.}$  Between M<sub>3</sub> and M<sub>1</sub> =  $\frac{₹ 2,50,000 - ₹ 70,000}{₹ 400 - ₹ 100} = 600 \text{ units.}$

**2. Interpretation of Indifference Points and Decisions:** (the numbers indicate the number of reports / cases handled)

|              |     |                |                                  |                |                                  |                |                                  |                |
|--------------|-----|----------------|----------------------------------|----------------|----------------------------------|----------------|----------------------------------|----------------|
| No. of Cases | Nil | 400            |                                  | 600            |                                  | 1000           |                                  |                |
| Choice       |     | M <sub>3</sub> | M <sub>2</sub> or M <sub>3</sub> | M <sub>2</sub> | M <sub>1</sub> or M <sub>3</sub> | M <sub>2</sub> | M <sub>1</sub> or M <sub>2</sub> | M <sub>1</sub> |

| Number of Cases / Reports           | Choice of Method                        | Reason                           |
|-------------------------------------|-----------------------------------------|----------------------------------|
| Less than 400 units                 | M <sub>3</sub>                          | Due to Lower Fixed Cost.         |
| Exactly 400 units                   | Either M <sub>2</sub> or M <sub>3</sub> | Indifference Point.              |
| Above 400 but less than 1,000 units | M <sub>2</sub>                          | Next Range of Lower Fixed Costs. |
| Exactly 1,000 units                 | Either M <sub>1</sub> or M <sub>2</sub> | Indifference Point.              |
| Above 1,000 units                   | M <sub>1</sub>                          | Lower Variable Costs per unit.   |

Expected Production = 1,200 units. This is in the range – above 1,000 units, and hence M<sub>1</sub> can be purchased.

**Note:** Indifference Point between M<sub>1</sub> & M<sub>3</sub> (600 units) is not relevant for decision-making since M<sub>2</sub> is profitable in the range 400 units to 1,000 units. This Indifference Point will be relevant only if the choice lies between M<sub>1</sub> and M<sub>3</sub>.

**3. Cost of various options at 600units:**

| Particulars        | M <sub>1</sub>       | M <sub>2</sub>         | M <sub>3</sub>         |
|--------------------|----------------------|------------------------|------------------------|
| Fixed Costs        | ₹ 2,50,000           | ₹ 1,50,000             | ₹ 70,000               |
| Variable Costs     | ₹ 100×600 = ₹ 60,000 | ₹ 200×600 = ₹ 1,20,000 | ₹ 400×600 = ₹ 2,40,000 |
| <b>Total Costs</b> | <b>₹ 3,10,000</b>    | <b>₹ 2,70,000</b>      | <b>₹ 3,10,000</b>      |

At this level, M<sub>2</sub> is more profitable than M<sub>1</sub> and M<sub>3</sub>. Hence, this Indifference Point becomes irrelevant in the overall analysis among M<sub>1</sub>, M<sub>2</sub> and M<sub>3</sub>.

**2(a): ABC in Service Sector – Cost of Rendering Services****M 13 (8 Marks)**

DEF Bank operated for years under the assumption that profitability can be increased by increasing Rupee volumes. But that has not been the case. Cost Analysis has revealed the following –

| Activity              | Activity Cost (₹) | Activity Driver     | Activity Capacity |
|-----------------------|-------------------|---------------------|-------------------|
| Providing ATM Service | 1,00,000          | No. of transactions | 2,00,000          |
| Computer Processing   | 10,00,000         | No. of transactions | 25,00,000         |
| Issuing Statements    | 8,00,000          | No. of statements   | 5,00,000          |
| Customer Inquiries    | 3,60,000          | Telephone minutes   | 6,00,000          |

The following annual information on three products was also made available –

|                       | Checking Accounts | Personal Loans | Gold Visa |
|-----------------------|-------------------|----------------|-----------|
| Units of Product      | 30,000            | 5,000          | 10,000    |
| ATM Transactions      | 1,80,000          | 0              | 20,000    |
| Computer Transactions | 20,00,000         | 2,00,000       | 3,00,000  |
| Number of Statements  | 3,00,000          | 50,000         | 1,50,000  |
| Telephone Minutes     | 3,50,000          | 90,000         | 1,60,000  |

Required:

- Calculate rates for each activity.
- Using the rates computed in requirement (1) above, calculate the Cost of each Product.

**Solution:**

**Similar to Page 8.26, Illustration 12 (N 09)**

| Activity                | Cost Driver Rates                                         | Checking Accounts                  | Personal Loans                  | Gold Visa                         |
|-------------------------|-----------------------------------------------------------|------------------------------------|---------------------------------|-----------------------------------|
| Providing ATM Service   | $\frac{₹ 1,00,000}{2,00,000} = 0.50$ per transaction      | $1,80,000 \times 0.50 = 90,000$    | –                               | $20,000 \times 0.50 = 10,000$     |
| Computer Processing     | $\frac{₹ 10,00,000}{25,00,000} = 0.40$ per transaction    | $20,00,000 \times 0.40 = 8,00,000$ | $2,00,000 \times 0.40 = 80,000$ | $3,00,000 \times 0.40 = 1,20,000$ |
| Issuing Statements      | $\frac{₹ 8,00,000}{5,00,000} = 1.60$ per statement        | $3,00,000 \times 1.60 = 4,80,000$  | $50,000 \times 1.60 = 80,000$   | $1,50,000 \times 1.60 = 2,40,000$ |
| Customer Services       | $\frac{₹ 3,60,000}{6,00,000} = 0.60$ per telephone minute | $3,50,000 \times 0.60 = 2,10,000$  | $90,000 \times 0.60 = 54,000$   | $1,60,000 \times 0.60 = 96,000$   |
| <b>Total Cost</b>       |                                                           | <b>15,80,000</b>                   | <b>2,14,000</b>                 | <b>4,66,000</b>                   |
| <b>Units of Product</b> |                                                           | <b>30,000</b>                      | <b>5,000</b>                    | <b>10,000</b>                     |
| <b>Cost per unit</b>    |                                                           | <b>52.67</b>                       | <b>42.80</b>                    | <b>46.60</b>                      |

**2(b): Production and Material Usage Budget****M 13 (8 Marks)**

KG Ltd is engaged in the production of two Products K and G. One unit of Product K requires two units of Material A and four units of Material B. Each unit of Product G needs four units of Material A, two units of Material B and four units of Material C. Material C is locally produced in the factory of the Company, by using two units of Material B for each unit of C.

Materials A and B are purchased in the open market. Production of Products K, G and C is carried out evenly throughout the year. At present the Company has purchased its 3 months requirements of A and B in one purchase. That is four purchases per annum. The other particulars provided by the Company are –

| Particulars                                 | K (In Units) | G (In Units) |
|---------------------------------------------|--------------|--------------|
| Budgeted Sales for the next year            | 40,000       | 75,000       |
| Desired Stock at the end of the year        | 5,000        | 10,000       |
| Expected Stock at the beginning of the year | 15,000       | 25,000       |

| Particulars                 | A     | B     |
|-----------------------------|-------|-------|
| Purchase Price p.u (₹)      | 15    | 25    |
| Ordering Cost per Order (₹) | 1,000 | 1,000 |
| Carrying Cost p.a.          | 10%   | 10%   |

You are required to:

1. Prepare a Production Budget and a Material Requirement Budget for the next year.
2. Calculate the number of Material Purchases to be made, if the Company wants to Purchase Materials in optimal quantity.

**Solution:**

Similar to Page 7.10, Illustration 2 (M 06, M 10)

**1. Computation of Budgeted Production Quantities**

| Particulars                                     | Product K     | Product G     |
|-------------------------------------------------|---------------|---------------|
| Budgeted Sales                                  | 40,000        | 75,000        |
| <b>Add:</b> Stock at the end of the year        | 5,000         | 10,000        |
| Sub – Total                                     | 45,000        | 85,000        |
| <b>Less:</b> Stock at the beginning of the year | 15,000        | 25,000        |
| <b>Budgeted Production Quantity</b>             | <b>30,000</b> | <b>60,000</b> |

**2. Computation of Budgeted Component Requirements and EOQ**

| Particulars                   | Material A                        | Material B                                                                         | Material C                                              |
|-------------------------------|-----------------------------------|------------------------------------------------------------------------------------|---------------------------------------------------------|
| Product K: 30,000 units       | $2 \times 30,000 = 60,000$        | $4 \times 30,000 = 1,20,000$                                                       | NA                                                      |
| Product G: 60,000 units       | $4 \times 60,000 = 2,40,000$      | $2 \times 60,000 = 1,20,000$<br>+ (for making C)<br>$2,40,000 \times 2 = 4,80,000$ | $4 \times 60,000 = 2,40,000$<br>(to be made internally) |
| <b>Total Requirement p.a.</b> | <b>3,00,000 units</b>             | <b>7,20,000 units</b>                                                              | <b>(already considered in B)</b>                        |
| Buying Cost per Order         | ₹ 1,000                           | ₹ 1,000                                                                            |                                                         |
| Carrying Cost p.u. p.a.       | 10% of ₹ 15 = ₹ 1.50              | 10% of ₹ 25 = ₹ 2.5                                                                |                                                         |
| $EOQ = \sqrt{\frac{2AB}{C}}$  | <b>20,000 units</b>               | <b>24,000 units</b>                                                                |                                                         |
| No. of Purchases p.a.         | $3,00,000 \div 20,000 = 15$ times | $7,20,000 \div 24,000 = 30$ times                                                  |                                                         |

**3(a): Linear Programming – Maximisation under Simplex Method**

**M 13 (8 Marks)**

A Company manufactures two Products A and B, involving three Departments – Machining, Fabrication and Assembly. The process time, profit/unit and total capacity of each department is given in the following table –

| Particulars | Machining (Hrs) | Fabrication(Hrs) | Assembly(Hrs) | Profit(₹) |
|-------------|-----------------|------------------|---------------|-----------|
| A           | 1               | 5                | 3             | 80        |
| B           | 2               | 4                | 1             | 100       |
| Capacity    | 720             | 1,800            | 900           |           |

**Required –**

1. Set up Linear Programming Problem to maximize Profits.
2. What will be the Product-Mix at Maximum Profit Level?
3. What will be the Profit at that Level?

**Solution:**

Similar to Page 18.9, Illustration 4 [M 05 (Mod.), M 11]

Let  $x, y$  be the number of units of the two products A and B respectively.

|                                                                                                                                                                                                                                  |                                                                                                                                                                              |                                                                                                                                                                                                                  |
|----------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|
| <b>Basic Data:</b> A      B<br>Profit p.u.    ₹80    ₹100<br><b>Hours conditions:</b> Available<br>Machining    1 hr    2 hrs    720 hrs<br>Fabrication    5 hrs    4 hrs    1,800 hrs<br>Assembly      3 hrs    1 hr    900 hrs | <b>The LPP is as under –</b><br>Maximise $Z = 80x + 100y$<br>Subject to:<br>$x + 2y \leq 720$<br>$5x + 4y \leq 1,800$<br>$3x + y \leq 900$<br>$x, y \geq 0$ (non-negativity) | Introducing Slack Variables, we have<br>Maximise $Z = 80x + 100y + 0S_1 + 0S_2 + 0S_3$<br>Subject to:<br>$x + 2y + S_1 = 720$<br>$5x + 4y + S_2 = 1,800$<br>$3x + y + S_3 = 900$<br>$x, y, S_1, S_2, S_3 \geq 0$ |
|----------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|

$S_1, S_2$  and  $S_3$  are the slacks for the 3 Constraints above.

**First Simplex Table:**

| Fixed Ratio                    | Program        | Profit                    | Quantity | x  | y   | S <sub>1</sub> | S <sub>2</sub> | S <sub>3</sub> | Repl. Ratio |
|--------------------------------|----------------|---------------------------|----------|----|-----|----------------|----------------|----------------|-------------|
| NA                             | S <sub>1</sub> | 0                         | 720      | 1  | 2   | 1              | 0              | 0              | 360         |
| 2                              | S <sub>2</sub> | 0                         | 1800     | 5  | 4   | 0              | 1              | 0              | 450         |
| 1/2                            | S <sub>3</sub> | 0                         | 900      | 3  | 1   | 0              | 0              | 1              | 900         |
| <b>Decision:</b>               |                | Z (Objective Value)       |          | 80 | 100 | 0              | 0              | 0              |             |
| In = Key Column = y            |                | C (Computed Value)        |          | 0  | 0   | 0              | 0              | 0              |             |
| Out = Key Row = S <sub>1</sub> |                | <b>Net Evaluation Row</b> |          | 80 | 100 | 0              | 0              | 0              |             |

**Note:** For Non-Key Rows, A = (Previous Table Corresponding Row Element) Less B = (Key Row Element × Fixed Ratio)

| Computation for S <sub>2</sub> Row |      |   |   |    |   | Computation for S <sub>3</sub> Row |     |     |   |      |   |
|------------------------------------|------|---|---|----|---|------------------------------------|-----|-----|---|------|---|
| A                                  | 1800 | 5 | 4 | 0  | 1 | A                                  | 900 | 3   | 1 | 0    | 1 |
| - B                                | 1440 | 2 | 4 | 2  | 0 | - B                                | 360 | 1/2 | 1 | 1/2  | 0 |
| A-B                                | 360  | 3 | 0 | -2 | 1 | A-B                                | 540 | 5/2 | 0 | -1/2 | 1 |

The above A-B values are carried over to the Second Simplex Table in **S<sub>2</sub> and S<sub>3</sub> Rows** (being Non-Key Rows of 1<sup>st</sup> Table).

**Second Simplex Table:**

| Fixed Ratio                    | Program        | Profit                    | Quantity | x   | y   | S <sub>1</sub> | S <sub>2</sub> | S <sub>3</sub> | Repl. Ratio |
|--------------------------------|----------------|---------------------------|----------|-----|-----|----------------|----------------|----------------|-------------|
| 1/6                            | Y              | 100                       | 360      | 1/2 | 1   | 1/2            | 0              | 0              | 720         |
| NA                             | S <sub>2</sub> | 0                         | 360      | 3   | 0   | -2             | 1              | 0              | 120         |
| 5/6                            | S <sub>3</sub> | 0                         | 540      | 5/2 | 0   | -1/2           | 0              | 1              | 216         |
| <b>Decision:</b>               |                | Z (Objective Value)       |          | 80  | 100 | 0              | 0              | 0              |             |
| In = Key Column = x            |                | C (Computed Value)        |          | 50  | 100 | 50             | 0              | 0              |             |
| Out = Key Row = S <sub>2</sub> |                | <b>Net Evaluation Row</b> |          | 30  | 0   | -50            | 0              | 0              |             |

**Note:** For Non-Key Rows, A = (Previous Table Corresponding Row Element) Less B = (Key Row Element × Fixed Ratio)

| Computation for y Row |     |     |     |      |      | Computation for S <sub>3</sub> Row |     |     |   |      |      |
|-----------------------|-----|-----|-----|------|------|------------------------------------|-----|-----|---|------|------|
| A                     | 360 | 1/2 | 1/2 | 0    | 0    | A                                  | 540 | 5/2 | 0 | -1/2 | 1    |
| - B                   | 60  | 1/2 | 0   | -1/3 | 1/6  | - B                                | 300 | 5/2 | 0 | -5/3 | 5/6  |
| A-B                   | 300 | 0   | 1   | 5/6  | -1/6 | A-B                                | 240 | 0   | 0 | 7/6  | -5/6 |

The above A-B values are carried over to the Third Simplex Table in **y and S<sub>3</sub> Rows** (being Non-Key Rows of 2<sup>nd</sup> Table).

**Third Simplex Table:**

| Fixed Ratio                                                                                | Program        | Profit                    | Quantity | x  | y   | S <sub>1</sub> | S <sub>2</sub> | S <sub>3</sub> | Repl. Ratio |
|--------------------------------------------------------------------------------------------|----------------|---------------------------|----------|----|-----|----------------|----------------|----------------|-------------|
|                                                                                            | Y              | 100                       | 300      | 0  | 1   | 5/6            | -1/6           | 0              |             |
|                                                                                            | x              | 80                        | 120      | 1  | 0   | -2/3           | 1/3            | 0              |             |
|                                                                                            | S <sub>3</sub> | 0                         | 240      | 0  | 0   | 7/6            | -5/6           | 1              |             |
| <b>Decision:</b> Since all NER ≤ 0 for max. objective, the Third Table is <b>optimal</b> . |                | Z (Objective Value)       |          | 80 | 100 | 0              | 0              | 0              |             |
|                                                                                            |                | C (Computed Value)        |          | 80 | 100 | 30             | 10             | 0              |             |
|                                                                                            |                | <b>Net Evaluation Row</b> |          | 0  | 0   | -30            | -10            | 0              |             |

**Answer:** The Company should produce 120 units of Product A and 300 units of Product B.

Maximum Contribution = 80 x + 100 y = (80 × 120) + (100 × 300) = 9,600 + 30,000 = ₹ 39,600.

**3(b): Reverse Working – Overhead Variance Only**

**M 13 (8 Marks)**

The following are the information regarding Overheads of a Company –

- Overheads Cost Variance – ₹ 2,800 (A)
- Overheads Volume Variance – ₹ 2,000 (A)
- Budgeted Overheads – ₹ 12,000
- Actual Overhead Recovery Rate – ₹ 8 per hour
- Budgeted Hours for the period – 2,400 hours

You are required to compute the following:

- Overheads Expenditure Variance.
- Actual Incurred Overheads.
- Actual Hours for Actual Production.
- Overheads Capacity Variance.
- Overheads Efficiency Variance.
- Standard Hours for Actual Production.

**Solution:**

- Expenditure Variance = Cost Variance 2,800 A (–) Volume Variance 2,000A = ₹ 800A
- Actual OH = Budgeted Overhead 12,000 + Expenditure Variance 800A = ₹ 12,800
- Actual Hours =  $\frac{\text{Actual OH}}{\text{Actual Recovery Rate}} = \frac{12800}{8} = 1,600 \text{ hours}$
- Capacity Variance = (AH – BH) × SR p.h = (1,600 – 2,400) × 5 = ₹ 4,000 A
- Efficiency Variance = Volume Variance 2,000A – Capacity Variance 4,000A = ₹ 2,000 F
- (SH – AH) × SR = Efficiency Variance 2,000 F  
So, (SH – 1,600) × 5 = 2000  
So, SH = 2,000 hours

**4(a): Transportation Problem – Optimality Test****M 13 (8 Marks)**

XYZ Company has three Plants and four Warehouses. The Supply and Demand in units and the corresponding Transportation Costs are given. The table below shows the details taken from the solution procedure of the Transportation Problem –

| Warehouse | I                                                  | II                                                 | III                                                | IV                                                | Supply |
|-----------|----------------------------------------------------|----------------------------------------------------|----------------------------------------------------|---------------------------------------------------|--------|
| A         | 5                                                  | 10                                                 | 4 <span style="border: 1px solid black;">10</span> | 5                                                 | 10     |
| B         | 6 <span style="border: 1px solid black;">20</span> | 8                                                  | 7                                                  | 2 <span style="border: 1px solid black;">5</span> | 25     |
| C         | 4 <span style="border: 1px solid black;">5</span>  | 2 <span style="border: 1px solid black;">10</span> | 5 <span style="border: 1px solid black;">5</span>  | 7                                                 | 20     |
| Demand    | 25                                                 | 10                                                 | 15                                                 | 5                                                 | 55     |

Answer the following questions. Give brief reasons –

- Is this solution feasible?
- Is this solution degenerate?
- Is this solution optimum?

**Solution:****1. Feasible Solution:**

- The Initial Basic Feasible Solution is given in the question. From the allocation of units it can be interpreted that the solution is determined as per Vogel's Approximation Method. **(See Note Below)**
- Since the above IBFS satisfies all the Row and Column Totals, the solution can be said to be a **feasible solution**.

**Note:** Least Cost Cell is not used since the Least cost of 5 (A–I, A–IV) remains unallocated. North West Corner Rule is not used since the North West Corner remains unallocated (A–I).

- Degeneracy:** If the Number of Allocations < (m + n – 1), the solution is said to be degenerate. Since in this solution the Number of allocations (6) = m + n – 1 (3 + 4 – 1 = 6) the solution is not degenerate, and can be tested for optimality.
- Optimality Test:** Table 1 = U, V for allocated cells computed as below:

| U & V      | 0 + 4 = 4                                          | 0 + 2 = 2                                          | 0 + 5 = 5                                          | 2 – 2 = 0                                         |
|------------|----------------------------------------------------|----------------------------------------------------|----------------------------------------------------|---------------------------------------------------|
| 4 – 5 = –1 | 5                                                  | 10                                                 | 4 <span style="border: 1px solid black;">10</span> | 5                                                 |
| 6 – 4 = 2  | 6 <span style="border: 1px solid black;">20</span> | 8                                                  | 7                                                  | 2 <span style="border: 1px solid black;">5</span> |
| Base = 0   | 4 <span style="border: 1px solid black;">5</span>  | 2 <span style="border: 1px solid black;">10</span> | 5 <span style="border: 1px solid black;">5</span>  | 7                                                 |

**Table 2 = U + V for Unallocated Cells**

|           |           |           |            |
|-----------|-----------|-----------|------------|
| 4 – 1 = 3 | 2 – 1 = 1 |           | 0 – 1 = –1 |
|           | 2 + 2 = 4 | 5 + 2 = 7 |            |
|           |           |           | 0 + 0 = 0  |

**Table 3 = Net Evaluation Table (NET)**

= Table 1 – Table 2 for Unallocated Cells

|           |            |           |              |
|-----------|------------|-----------|--------------|
| 5 – 3 = 2 | 10 – 1 = 9 |           | 5 – (–1) = 6 |
|           | 8 – 4 = 4  | 7 – 7 = 0 |              |
|           |            |           | 7 – 0 = 7    |

**Conclusion:** Since all the elements in NET are ≥ 0, the IBFS is **optimal but not unique**. Since there is a "0" in the NET, there is an Alternate Solution.

**4(b): TOC – Bottleneck Identification using TA Ratio and Resource Allocation****M 13 (8 Marks)**

Gupta Ltd produces 4 Products P, Q, R and S by using three different Machines X, Y and Z. Each Machine Capacity is limited to 6,000 hours per month. The details given below are for July –

| Particulars                 | P      | Q     | R     | S     |
|-----------------------------|--------|-------|-------|-------|
| Selling Price p.u. (₹)      | 10,000 | 8,000 | 6,000 | 4,000 |
| Variable Cost p.u. (₹)      | 7,000  | 5,600 | 4,000 | 2,800 |
| Machine Hours required p.u. |        |       |       |       |
| Machine X                   | 20     | 12    | 4     | 2     |
| Machine Y                   | 20     | 18    | 6     | 3     |
| Machine Z                   | 20     | 6     | 2     | 1     |
| Expected Demand (units)     | 200    | 200   | 200   | 200   |

**Required:**

- Find out the Bottleneck Activity.
- Allocate the Machine Hours on the basis of the Bottleneck.
- Ascertain the Profit expected in the month if the monthly Fixed Cost amounts to ₹ 9,50,000.
- Calculate the unused Spare Hours of each Machine.

**Solution:****Similar to Page 12.2, Illustration 1 (M 09)****1. Identification of Bottleneck Activity**

| Machine | Time required for Products (Demand × M/c Hr p.u.) |       |       |     | Total Time reqd (Hrs) | Time Available (Hrs) | Machine Utilization |
|---------|---------------------------------------------------|-------|-------|-----|-----------------------|----------------------|---------------------|
|         | P                                                 | Q     | R     | S   |                       |                      |                     |
|         | (a)                                               | (b)   | (c)   | (d) | (e) = (a+b+c+d)       | (f) = given          | (g) = (e ÷ f)       |
| X       | 4,000                                             | 2,400 | 800   | 400 | 7,600                 | 6000                 | 126.67%             |
| Y       | 4,000                                             | 3,600 | 1,200 | 600 | 9,400                 | 6000                 | 156.67%             |
| Z       | 4,000                                             | 1,200 | 400   | 200 | 5,800                 | 6000                 | 96.67%              |

Since Machine Y has the highest Machine Utilization (i.e. **TA Ratio**), it represents the **bottleneck activity**. Hence product, ranking & resource allocation should be based on Contribution per Machine Hour of Machine Y.

**2. Allocation of Resources and overall Profit**

| Particulars                            | P                      | Q                         | R                      | S                      | Total           |
|----------------------------------------|------------------------|---------------------------|------------------------|------------------------|-----------------|
| (a) Contribution per unit ₹            | ₹ 3,000                | ₹ 2,400                   | ₹ 2,000                | ₹ 1,200                |                 |
| (b) Time required in Machine Y         | 20 hours               | 18 hours                  | 6 hours                | 3 hours                |                 |
| (c) Contribution per Machine-hour      | ₹ 150                  | ₹ 133.33                  | ₹ 333.33               | ₹ 400                  |                 |
| (d) Rank based on (c) above            | III                    | IV                        | II                     | I                      |                 |
| (e) Allocation of Machine Y time       | 200 × 20 = 4000        | (bal. fig.) 200           | 200 × 6 = 1200         | 200 × 3 = 600          | 6,000.00        |
| <b>(f) Production Quantity (e ÷ b)</b> | <b>200 units</b>       | <b>11.11 units</b>        | <b>200 units</b>       | <b>200 units</b>       |                 |
| (g) Allocation of Machine X time       | 200 × 20 = 4,000 hours | 11.11 × 12 = 133.32 hours | 200 × 4 = 800 hours    | 200 × 2 = 400 hours    | 5333.32         |
| (h) Allocation of Machine Z time       | 200 × 20 = 4,000 hours | 11.11 × 6 = 66.66 hours   | 200 × 2 = 400 hours    | 200 × 1 = 200 hours    | 4666.66         |
| (i) Contribution based on allocation   | 200 × 3,000 = 6,00,000 | 11.11 × 2,400 = 26,664    | 200 × 2,000 = 4,00,000 | 200 × 1,200 = 2,40,000 | 12,66,664       |
| (j) Fixed Cost for the month           | –                      | –                         | –                      | –                      | (9,50,000)      |
| <b>(k) Profit for the Month</b>        | –                      | –                         | –                      | –                      | <b>3,16,664</b> |

**Note:** Spare Capacity –

- Machine X: (6000 – 5333.32) = **666.68 Hours**
- Machine Z: (6000 – 4666.66) = **1333.34 Hours**

**5(a): Profitability Analysis – Evaluation of Alternatives****M 13 (12 Marks)**

Better and Best Ltd manufactures only one Product. Production is regular throughout the year and the capacity of the Factory is 1,50,000 units per annum. The summarized Profit and Loss Account for the year ended 31<sup>st</sup> December is being reviewed by the Board of Directors.

| Particulars                         | ₹         |
|-------------------------------------|-----------|
| Sales at ₹ 10 per unit              | 10,00,000 |
| Cost of Sales –                     |           |
| Direct Materials                    | 2,50,000  |
| Direct Labour                       | 1,50,000  |
| Production Overheads –              |           |
| Variable                            | 30,000    |
| Fixed                               | 2,30,000  |
| Administrative Overheads (Fixed)    | 1,00,000  |
| Selling and Distribution Overhead – |           |
| Variable                            | 50,000    |
| Fixed                               | 1,50,000  |

- The Production Director proposed to reduce Selling Price to ₹ 9 in order to utilize Full Capacity.
- The Sales Director proposed to increase Selling Price by 20%. By spending ₹ 2,25,000 on Advertisement, Sales will be increased to 1,20,000 units per annum.
- The Personnel Director pleaded for a change in the method of Wage payment. For the present Piece Rate of ₹ 1.50 per unit, a Bonus Scheme (for each 2% increase in Production over the target, there would be an increase of 1% in the Basic Wage of each employee) will be implemented. A target of 2,000 units per week for the Company will be set for 50 week year. Selling Price increase by 10%. With an additional Advertisement Cost of ₹ 1,60,000, 20% increase in present Sales will be achieved.
- The Chairman felt that the packaging of the product required improvement. He wanted to know the Sales required to earn a target Profit of 10% on Turnover with the introduction of an improved packing at an additional cost of 20 paise per unit (no change in Selling Price).

You are required to evaluate individually the proposals of each of the Board Member and give your recommendation.

Solution:

### 1. Profitability Statement (Present)

| Particulars                                       | Per Unit | Per Unit    | Total    | Total           |
|---------------------------------------------------|----------|-------------|----------|-----------------|
| Sales (10,00,000 ÷ 10 per unit = 1,00,000 units)  |          | 10          |          |                 |
| Less: Variable Costs                              |          |             |          |                 |
| Direct Material (2,50,000 ÷ 1,00,000 = 2.50 p.u.) | 2.50     |             |          |                 |
| Direct Labour (1,50,000 ÷ 1,00,000 = 1.50 p.u.)   | 1.50     |             |          |                 |
| Variable POH (30,000 ÷ 1,00,000 = 0.30 p.u.)      | 0.30     |             |          |                 |
| Variable SOH (50,000 ÷ 1,00,000 = 0.50 p.u.)      | 0.50     | 4.80        |          |                 |
| <b>Contribution (5.20 p.u. × 1,00,000 units)</b>  |          | <b>5.20</b> |          | <b>5,20,000</b> |
| Less: Fixed Costs (only for Total)                |          |             |          |                 |
| POH                                               |          |             | 2,30,000 |                 |
| AOH                                               |          |             | 1,00,000 |                 |
| SOH                                               |          |             | 1,50,000 | 4,80,000        |
| <b>Profit</b>                                     |          |             |          | <b>40,000</b>   |

### 2. Proposal I (Reduction in Selling Price)

| Particulars                                          | Total           |
|------------------------------------------------------|-----------------|
| <b>Contribution</b> [(9.00 – 4.80) × 1,50,000 units] | <b>6,30,000</b> |
| Less: Fixed Costs                                    | 4,80,000        |
| <b>Profit</b>                                        | <b>1,50,000</b> |

**Note:** Selling Price is reduced to 9.00 p.u. and also quantity is increased to full capacity 1,50,000 units.

### 3. Proposal II (Increase in Selling Price and Advertisement Cost)

| Particulars                                                                                   | Total           |
|-----------------------------------------------------------------------------------------------|-----------------|
| <b>Contribution</b> [(12.00 – 4.80) × 1,20,000 units]                                         | <b>8,64,000</b> |
| Less: Fixed Costs (Existing Fixed Costs + Additional Advertising Costs) (4,80,000 + 2,25,000) | 7,05,000        |
| <b>Profit</b>                                                                                 | <b>1,61,000</b> |

**Note:** Increase in Selling Price = 10 + 20% = 12 p.u. The No. of units is increased to 1,20,000 (given).

**4. Proposal III (Increase in Sales, Advertisement Costs and Wage Revision)****Alternative 1:** It is assumed that 20% increase pertains to "Sales Value".**Alternative 2:** It is assumed that 20% increase pertains to "Sales Quantity".

| Particulars                                                                      | Alternative 1 |                 | Alternative 2 |                 |
|----------------------------------------------------------------------------------|---------------|-----------------|---------------|-----------------|
|                                                                                  | Per Unit      | Total           | Per Unit      | Total           |
| Sales                                                                            | 11            |                 | 11            |                 |
| <b>Less: Variable Costs</b>                                                      |               |                 |               |                 |
| Direct Material                                                                  | 2.50          |                 | 2.50          |                 |
| Direct Labour (See Note Below)                                                   | 1.57          |                 | 1.65          |                 |
| Variable POH                                                                     | 0.30          |                 | 0.30          |                 |
| Variable SOH                                                                     | 0.50          |                 | 0.50          |                 |
| <b>Contribution</b> (6.13 p.u. × 1,09,091 units)<br>(6.05 p.u. × 1,20,000 units) | <b>6.13</b>   | <b>6,68,728</b> | <b>6.05</b>   | <b>7,26,000</b> |
| <b>Less: Fixed Costs (only for Total)</b>                                        |               |                 |               |                 |
| Fixed POH                                                                        |               | 2,30,000        |               | 2,30,000        |
| Fixed AOH                                                                        |               | 1,00,000        |               | 1,00,000        |
| Fixed SOH                                                                        |               | 1,50,000        |               | 1,50,000        |
| Additional Advertisement Cost                                                    |               | 1,60,000        |               | 1,60,000        |
| <b>Profit</b>                                                                    |               | <b>28,728</b>   |               | <b>86,000</b>   |

**Note:**

| Particulars                                            | Alternative 1                                                                                                                                 | Alternative 2                                       |
|--------------------------------------------------------|-----------------------------------------------------------------------------------------------------------------------------------------------|-----------------------------------------------------|
| Revised Selling Price                                  | 10 + 10% = 11 p.u.                                                                                                                            | 10 + 10% = 11 p.u.                                  |
| Present Production                                     | 2,000 units per week × 50 weeks =<br>1,00,000 units                                                                                           | 2,000 units per week × 50 weeks =<br>1,00,000 units |
| Expected Production                                    | (a) Increase in overall Sales =<br>10,00,000 + 20% = 12,00,000<br>(b) Therefore Expected Production =<br>12,00,000 ÷ 11 p.u. = 1,09,091 Units | 1,00,000 + 20% = 1,20,000 Units                     |
| Increase in Production (Units)                         | 1,09,091 – 1,00,000 = 9,091 units                                                                                                             | 1,20,000 – 1,00,000 = 20,000                        |
| Increase in Production (%)                             | 9,091 ÷ 1,00,000 = 9.09%                                                                                                                      | 20% (Given)                                         |
| Increase in Wage Rate due to<br>increase in Production | 9.09 ÷ 2 = 4.55 %                                                                                                                             | 20.00 ÷ 2 = 10.00 %.                                |
| Increase in Wage Rate                                  | 1.50 p.u + 4.55% = 1.57                                                                                                                       | 1.50 p.u + 10.00% = 1.65                            |

**Note:** For every 2% increase in production, 1% Bonus is given. Therefore the ratio is ½.**5. Proposal IV (Sales Quantity to achieve the required Profit)**

Let required Quantity be "x".

| Particulars                                                                     | Total             |
|---------------------------------------------------------------------------------|-------------------|
| Sales (X units × 10 p.u.)                                                       | 10x               |
| <b>Less: Variable Costs (Existing + Additional Packing Costs) (4.80 + 0.20)</b> | 5x                |
| <b>Contribution</b>                                                             | <b>5x</b>         |
| <b>Less: Fixed Costs</b>                                                        | 4,80,000          |
| <b>Profit (Given)</b>                                                           | <b>10 % × 10x</b> |

**Number of Units to be sold and overall Profit:**

$$5x - 4,80,000 = 1x (10\% \times 10x)$$

$$\text{So, } 5x - x = 4,80,000$$

$$4x = 4,80,000$$

$$x = 1,20,000$$

$$\text{Therefore, Profit} = 10\% (1,20,000 \times 10 \text{ p.u.}) = ₹ 1,20,000$$

**Recommendation:**

| Particulars    | Present  | Proposal I | Proposal II | Proposal III (Alt 1) | Proposal III (Alt 2) | Proposal IV |
|----------------|----------|------------|-------------|----------------------|----------------------|-------------|
| Units Produced | 1,00,000 | 1,50,000   | 1,20,000    | 1,09,091             | 1,20,000             | 1,20,000    |
| Selling Price  | 10       | 9          | 12          | 11                   | 11                   | 10          |
| Contribution   | 5,20,000 | 6,30,000   | 8,64,000    | 6,68,728             | 7,26,000             | 6,00,000    |
| Profit         | 40,000   | 1,50,000   | 1,61,000    | 28,728               | 86,000               | 1,20,000    |

Based on the criteria of Profit, the Proposal II made by the Sales Director is more beneficial to the Company.

**5(b): Activity Based Costing – Direct Product Profitability (Theory)**

**M 13 (4 Marks)**

What do you mean by DPP? What are its benefits?

**Solution:**

**Refer Page 8.9, Q.No 22**

**6(a): Network Analysis – Project Crashing**

**M 13 (7 Marks)**

The Noida Nirman Authority intends to install a 4-road traffic regulating signal in a heavy traffic prone area. The total installation work has been broken down into six activities. The Normal Duration, Crash Duration and Crashing Cost of the activities as expected are given in the following table:

| Activity | Normal Duration (Days) | Crash Duration (Days) | Crashing Cost per day |
|----------|------------------------|-----------------------|-----------------------|
| 1-2      | 9                      | 6                     | 30,000                |
| 1-3      | 8                      | 5                     | 40,000                |
| 1-4      | 15                     | 10                    | 45,000                |
| 2-4      | 5                      | 3                     | 15,000                |
| 3-4      | 10                     | 6                     | 20,000                |
| 4-5      | 2                      | 1                     | 60,000                |

You are required to:

1. Draw the Network and find the Normal and Minimum Duration of the work.
2. Compute the Additional Cost involved if the authority wants to complete the work in the shortest duration.

**Solution:**

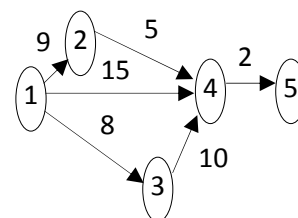
**Similar to Page 19.28, Illustration 20 (M 02)**

**Note:** Slope = Crashing Cost per day = given in the question.

**1. Paths Table**

**2. Network Diagram**

| Path               | Normal Duration<br>(Normal Days) | Min. Duration<br>(Crash Days) | Duration after Stage |              |              |              |              |
|--------------------|----------------------------------|-------------------------------|----------------------|--------------|--------------|--------------|--------------|
|                    |                                  |                               | I                    | II           | III          | IV           | V            |
| Path X:<br>1-2-4-5 | 9+5+2 = 16                       | 6+3+1 = 10                    | 16                   | 16-1<br>= 15 | 15           | 15-2<br>= 13 | 13-1<br>= 12 |
| Path Y:<br>1-4-5   | 15+2 = 17                        | 10+1 = 11                     | 17                   | 17-1<br>= 16 | 16-1<br>= 15 | 15-2<br>= 13 | 13-1<br>= 12 |
| Path Z:<br>1-3-4-5 | 8+10+2 = 20<br>(Initial CP)      | 5+6+1 = 12<br>(Min. Duration) | 20-3<br>= 17         | 17-1<br>= 16 | 16-1<br>= 15 | 15-2<br>= 13 | 13-1<br>= 12 |



**Note:** Since Minimum Duration is only 12 days on Path Z, the Project can be crashed and brought to min. 12 days only.

**3. Crashing Process**

| Stage     | Decision on Crashing                                                                                                                                                                                                                                                            | Crash Costs                                |
|-----------|---------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|--------------------------------------------|
| Stage I   | Initial CP is Path Z, and Activity with least slope is 3 – 4. This can be crashed for 10 – 6 = 4 days maximum, but the time gap between Paths Z & Y (i.e. next longest path) is only 3 days. So, Activity 3 – 4 is crashed for the permissible period of 3 days.(least)         | ₹ 30,000 per day for 3 days = ₹ 90,000     |
| Stage II  | Paths Y and Z are the CPs (17 days). Activities available for crashing are – (1) Common Activity 4 – 5 (with Slope 60,000) or (2) Separate Activities (with higher slope). So, Common Activity 4 – 5 is crashed for 1 day (being maximum time reduction possible).              | ₹ 60,000 per day for 1 day = ₹ 60,000      |
| Stage III | Paths Y and Z are the CPs (16 days). Activity Combinations available for crashing are – (1) 3-4 & 1-4 (with Slope 20,000 + 45,000 = 65,000) and (2) 1-3 & 1-4 (with Slope 40,000 + 45,000 = 85,000). The first combination is chosen due to lower slope, and crashed for 1 day. | ₹ 65,000 per day for 1 day = ₹ 65,000      |
| Stage IV  | All Paths are critical. Since Common Activity is fully crashed in Stage II, the only possible crashing is to crash 2-4, 1-4 & 1-3 by 2 days (being the least of the maximum time reduction possible for 2-4). Slope is 15,000 + 45,000 + 40,000 = 1,00,000                      | ₹ 1,00,000 per day for 2 days = ₹ 2,00,000 |
| Stage V   | All Paths are critical. The only activities available for crashing are 1-2 (3), 1-4 (2) and 1-3 (1) (with maximum time reduction possible in brackets. Each activity is reduced by 1 day (being minimum of the three). Slope is 30,000 + 45,000 + 40,000 = 1,15,000             | ₹ 1,15,000 per day for 1 day = ₹ 1,15,000  |

After this, no further Crashing is possible since Minimum Duration of the Project is 12 days as per Note in WN 2 above.

**4. Costs Table (on a per day basis)**

| Stage   | Duration | Activities Crashed | Crash Costs | Nature of Costs       |
|---------|----------|--------------------|-------------|-----------------------|
| Initial | 20 days  | –                  | NIL         | Normal Duration Cost  |
| I       | 19 days  | (3 – 4)            | ₹ 30,000    |                       |
|         | 18 days  | (3 – 4)            | ₹ 60,000    |                       |
|         | 17 days  | (3 – 4)            | ₹ 90,000    |                       |
| II      | 16 days  | (4 – 5)            | ₹ 1,50,000  | Optimal Duration Cost |
| III     | 15 days  | (3–4 & 1–4)        | ₹ 2,15,000  |                       |
| IV      | 14 days  | (2–4, 1–4 & 1–3)   | ₹ 3,15,000  |                       |
|         | 13 days  | (2–4, 1–4 & 1–3)   | ₹ 4,15,000  | Minimum Duration Cost |
| V       | 12 days  | (1–2, 1–4 & 1–3)   | ₹ 5,30,000  |                       |

**6(b): Learning Curve (Theory)**

**M 13 (4 Marks)**

Bring out the main applications of Learning Curve.

**Solution:** Refer Page 20.1, Q.No. 4 (RTP, M 03, M 04, M 06, M 07, N 07)

**6(c): Inter-Firm Comparison (Theory)**

**M 13 (5 Marks)**

State the advantages available in Inter-Firm Comparison.

**Solution:** Refer Page 15.4, Q.No. 10.

**7: Theory – Various Topics – Any 4 out of 5**

**M 13 (4 × 4 = 16 Marks)**

| Question                                                                                         | Answer Reference                                      |
|--------------------------------------------------------------------------------------------------|-------------------------------------------------------|
| (a) What are the focuses of Theory of Constraints? How it differs with regard to Cost Behaviour? | Page No.12.1, 12.2 Q.No.3,5,6 (RTP, N 03, M 06, M 08) |
| (b) Brief the reasons for using Simulation Technique to solve problems.                          | Page No.21.1, Q.No.4 (N 96, M 93, M 04, M 09)         |
| (c) List out the qualities required for a Good Pricing Policy.                                   | Page No.3.6, Q.No.15 (N 08)                           |
| (d) Under what circumstance PERT is more relevant? How?                                          | Page No.19.7, Q.No.19 (RTP, N 87, N 98, N 00, M 11)   |
| (e) Enumerate the expected disadvantages in taking Divisions as Profit Centers.                  | Page No.5.7, Q.No.18 (RTP, N 01, N 08)                |

**STUDENTS' NOTES**

