

EXCHANGE RATE

Bid/Buy rate

Bank buys
Customer sells

Ask/Sale/offer rate

Bank sells
Customer buys

45.5 / 46.15
BR AR

BR < AR

BR - AR = Spread (Bank's profit)

Spread (%) = $\frac{AR - BR}{AR} \times 100$

DIRECT & INDIRECT QUOTE

IDB - Expressed in terms of 1 unit

45 Rs/\$ (mean rate)

Rs → DB \$ → IDB [1\$]

DB & IDB relationship

(a) When mean rate is given
(only) No BR or AR.

$DB = \frac{1}{IDB}$

$45 \text{ Rs}/\$ = \frac{1}{45} \$/\text{Rs}$

(b) When BR & AR are given

$BR(DB) = \frac{1}{AR} (IDB)$

$AR(DB) = \frac{1}{BR} (IDB)$

(opposite)

CROSS RATE/DERIVED RATE

$BR = BR \times BR \quad AR = AR \times AR$

Rs/P £/\$ \$/P

$Rs/£ = \frac{Rs}{P} \times \frac{\$}{£} \times \frac{P}{\$}$

eliminate extra currencies.

Stronger currencies BR > AR

Rs \$ \$
Rs Pound Pound
\$ ¥ \$
Pound \$ Pound

Strong-IDB.

SPOT RATE and FORWARD RATE

SR = Buy or Sell TODAY

FR = Buy or sell @ LATER date @ price fixed today

FR can be expressed as

a) outright: 45.01/45.16 Rs/\$

b) swap points: 0.10/0.30 or 0.30/0.10

$FR = SR + \text{swap points} \uparrow \text{trend}$
 $= SR - \text{swap points} \downarrow \text{trend}$

Forward premium / discount for IDB.

$= \frac{FR - SR}{SR} \times 100 \times \frac{12}{n}$

For DB.

$= \frac{FR - SR}{FR} \times 100 \times \frac{12}{n}$

If BR/AR given find mean BR+AR for FR & SR.

OPTION FORWARD

When the time of receipt or payment of foreign currency is uncertain - the bank quotes the rate which is beneficial to the bank. Buy cheap, sell exp. @ option of bank.

★ eg: sometimes during 3m. Bank quotes 2m or 3m whichever is beneficial. Read & carefully and think from Bank's angle.

TOOLS OF HEDGING

Forward market

Money market

Option/derivative mkt

Party exposed to FX risk will analyse.

FORWARD MARKET HEDGING

I] Whether to take Forward cover or leave unhedged.

@ day of transaction.

Compare FR & Exp SR
payments ↓ deep ↑

II] If forward cover is taken it is VIABLE or not.

on maturity date

Compare FR & current SR.
actual SR.

hedging loss if forward cover not taken compare ESR & actual SR

Tan rate given: tan impact on foreign gain/loss = compare FR & SR
OF CIF

CURRENCY A.

IDB direct

appreciates - (+)

depreciates - (-)

DB inverse

appreciates - (-)

dep - (+)

• always think for IDB currency

• do unitary met

• all options must be comparable wrt time.

add/less int [loan or invest]

MONEY MARKET HEDGING

FC receipt (do opposite transactions)

100 0 year receipt - take loan

Take \$ loan

$$P + I = 100$$

$$P + (P \times 3\% \times \frac{n}{12}) = 100$$

$$P = x \$$$

convert x \$
to own currency
(Rs) and
invest for
n.

nth time

Receive 100 \$
Pay 100 \$ (loan)

Receive mat
of invst in
Rs.

$$P + 4\% \text{ for } n/12 = 4 \text{ Rs}$$

tax rate: $\text{Int}(\text{net of tax}) \times$

FC payment

payment - make invest

0 year:

invest in \$
so that

$$P + I = 100$$

$$P = x \$$$

take loan in
Rs = x \$
@ SR.

n time

Receive 100 (invst)
Pay 100

Pay Rs loan +
Int for n/12
= 4 Rs

LEADING

Paying in advance so as to
get discount and avoid foreign fluctⁿ

discount to be given = int earned by
supplier.

disc = int for n/12 in foreign currency
in foreign country.

100 \$ - disc \$ = net 90 \$ payable @ SR
in Rs.

for comparison: add notional opp cost
of int (of Rs) for n months (for
comp with forward, mm etc)

hedging with forward

eg: order + 3m delivery + 3m payment (quad xp)

90 \$ pay after 3m → take forward cover

i.e. 4 Rs + int
for 3m
comparison

hedging with MM. FR (4%) = net 90 \$ and

do mm hedging invest in \$ + take loan (0 year)

3m = receive invst pay 90 \$

6m = Int + P of loan for 6m (to make comparable)

hedging with forward and money mkt

0 year

After 3m

Pay 90 \$ after 3m.

receipt 90 \$ after 3m

After 6m

3 year take 90 \$ loan
in Rs for 3m

@ FR (6m)

invst for 3m - mat 6m FR

OPTION MARKET Hedging

Call

Right to buy

Call opⁿ on Rs
Buy Rs, Sell \$

premium: expense for writer.
pd in 0 year on % of exposure (foreign)

eg: Rs/\$
we receive \$

Put

Right to sell

Put opⁿ on \$
sell \$, Buy Rs.

n/3m

Rs (app)

Rs =

Rs (app)

find receipts in all opⁿ.

cost of call/put = premium pd + opp int on
premium + purchase cost (50 / 1P)

Covered int arbitrage

if markets all in equilibrium.

$$i_a = i_b + F_p \text{ or } i_b - F_d \text{ (premium/disc)}$$

If markets all not in equilibrium.

Rs/\$

$$i_a > i_b + F_p \text{ or } i_b - F_d$$

borrow - cheap ↓ IR
invst - ↑ IR

$$i_a < i_b + F_p \text{ or } i_b - F_d$$

Invest $i_a \rightarrow P \&$
Borrow $i_b \rightarrow D \&$

Invest $i_b \rightarrow P \&$
Borrow $i_a \rightarrow D \&$

Currency

P in

I

Total

Total (\$)

Borrow \$

1000 \$

x

P + I

1010 \$

Invest Rs.

1000 \$

50Kx

55000

convert at

= 50000 Rs

I

FR

CIF

range of int: assume x% int rate find
arbitrage.

gain per 1000 \$.

1020 \$

10 \$

INTEREST Rate Parity theorem (IRP)

investors are indiff as to invest in any country in resp of diff int rate.

$\Delta IR = \text{forward premium or forward disc.}$

$$IA - IB = \frac{Fo - So}{So} \times 100 \times \frac{12}{n}$$

$$\frac{IA - IB}{1 + IB} = \frac{Fo - So}{So}$$

$$\frac{1 + IA}{1 + IB} = \frac{Fo}{So}$$

$IA = \text{DB int}$
 $IB = \text{IDB int}$ * adj int for forward period

int $\uparrow$ - discount
int $\downarrow$ - premium

Purchasing Power Parity theorem

price of commodity is same in resp of place we buy.

$\Delta \text{inflation} = \Delta \text{in SR.}$

absolute version =

price ϕ = price (Rs) = price (¥)
when expressed in 1 currency
 $\phi = \text{Rs} \times \frac{\text{Rs}}{\text{¥}} = \text{¥} \times \frac{\text{¥}}{\text{Rs}}$

(Relative version)

$$\frac{PA - PB}{1 + PB} = \frac{ST - So}{So}$$

$$\frac{1 + PA}{1 + PB} = \frac{ST}{So}$$

$PA = \text{DB infn } (1\%)$

$PB = \text{IDB infn } (1\%)$

$ST = \text{exp spot}$

Expected theory of forwards.

$$Fo = \text{exp } So(ST)$$

$Fo > ST$ Sell Fo buy @ ST

then $Fo = ST$

$Fo < ST$ Buy Fo sell @ ST
 $Fo = ST$

$$\frac{Fo - So}{So} = \frac{ST - So}{So}$$

$$\frac{Fo}{So} = \frac{ST}{So}$$

$$\frac{IA - IB}{1 + IB} = \frac{PA - PB}{1 + PB} = \frac{Fo - So}{So} = \frac{ST - So}{So}$$

$$\frac{\Delta \text{int}}{1 + IA} = \frac{\Delta \text{infn}}{1 + PA} = \frac{\Delta \text{Fo \& So}}{Fo} = \frac{\Delta \text{ST \& So}}{ST}$$

Fischer's Int rate theorem / Fischer effect

real rate + infn = nominal rate

$$(1 + RR)(1 + IR) = (1 + NR)$$

$\Delta \text{inflation} = \Delta \text{nominal rate} - \Delta \text{real rate}$

$$\frac{PA - PB}{1 + PB} = \frac{IA - IB}{1 + IB}$$

$$\frac{1 + PA}{1 + PB} = \frac{1 + IA}{1 + IB}$$

$$\frac{Fo - So}{So} = \frac{ST - So}{So}$$

International capital budgeting

Method I

convert CF in FC to home currency

Oyear - SR

$1 - n$ - exp spot / forward rate

PV = COC or ROR in home currency (Rs).

$$NPV = Rs$$

Method II

convert NPV (FC) in home currency

PV = ROR of FC $\rightarrow$ IRP

NPV = ϕ convert @ SR.

(fast $\checkmark$)

NPV = both opⁿ is same.

Cancellation of forward contract

do opposite transac maturing on same day.

1) 0 ~~or~~ 3m fwd buy / 3m fwd sell.

2) 2m cancel 1m fwd sell / 1m fwd buy

Int on cancellation

loss - 15% p.a (1 & 2)

profit - 12% p.a.

Swap chg for int

loss - COF (2 & 3)

profit CIF

Arbitrage currencies

do arbitrage condition. $BR < \text{derived AR.}$

derived AR = derived using cross rate.

start from DR.

3 point

Sell $\text{Rs}^{(100)}$ Buy ¥
Sell ¥ Buy £
Sell £ Buy $\text{Rs}^{(103)}$

3 - A.G.

4 point

Sell Rs^{100} Buy ¥
Sell ¥ Buy £
Sell £ Buy €
Sell € Buy Rs^{103}

3 - A.G.

extension of fwd contract

date Pcc Amt date o m.

1) mar 2m fwd sell.

2) may Spot buy

3) may 1m fwd sell

cancel old (opposite Spot) + bal new

wholesale

Bank & AD deal with each other.

Interbank rate (IBR)

retail

Bank + AD $\rightarrow$ customer.

$$IBR - \text{com} = BR$$

$$IBR + \text{com} = AR$$